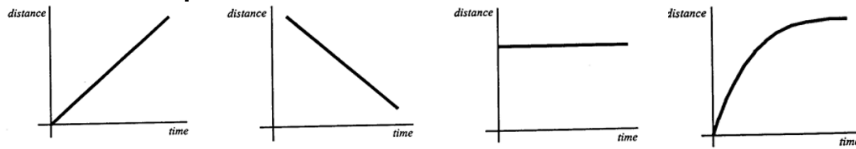


Distance-Time Graphs



- start at distance ___ units from reference point
- move _____ at a _____ pace for ___ units of time covering ___ units of dist.
- start at distance ___ units from reference point
- move _____ at a _____ pace for ___ units of time covering ___ units of dist.
- start at distance ___ units from reference point
- move _____ at a _____ pace for ___ units of time covering ___ units of dist.
- start at distance ___ units from reference point
- move _____ at a _____ pace for ___ units of time covering ___ units of dist.

Differences

-Find all differences in x-values

$$\Delta x = \text{next} - \text{previous} = x_2 - x_1$$

-If differences are constant, proceed. If not, can't do analysis without ignoring points that cause the problem.

-Find all differences in y-values

$$\Delta y = \text{next} - \text{previous} = y_2 - y_1$$

Linear

-The differences in both x and y values remain constant throughout data
-Slope must be constant for the relation to be a straight line.

Non Linear

The differences are not constant throughout the data

SLOPE or RateOfChange or ConstantOfVariation

-The measure of the inclination of the line
-*Montée* is word for climb in French, so we will use a letter *m*

For word problems:

For table of values or for 2 points (x_1, y_1) and (x_2, y_2) :

For graphs:

For equations:

-look for ROC #
"per" ex. \$ / hr
"every"
"each"

$$m = \frac{\Delta y}{\Delta x} \text{ or}$$

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

* Δ is Greek letter 'delta'
Here used for 'change in'

-choose 2 points on crosshairs of the grid
-watch the scale, don't just count the squares

$$m = \frac{\text{rise}}{\text{run}}$$

*careful, y is first, not like plotting points where x is first

-if y is isolated, then slope is the coefficient on the variable

Initial Value or Y-INT-The starting amount of the dependent variable, y

-Specific y-int, not a general point that varies, so we will use a letter *b*

For word problems:

For table of values

For graphs:

For equations:

-look for initial value
"flat fee"
"start at"

-look for the y-intercept point with $x = 0$

-look for a point on the y-axis

-if y is isolated, then y-int is the constant term without the variable
-if y is NOT isolated, sub x=0 and solve

Equation for a Line

(slope y-intercept form)

$$y = mx + b$$

Direct Variation

-A relation in which one variable is a multiple of the other
-No flat fee or initial cost
-Point (0,0) is part of table or graph
-Equation looks like $y = mx$

Indirect Variation

-A relation in which one variable is a multiple of the other PLUS a constant amount
-HAS flat fee or initial cost
-Point (0,0) is NOT part of table or graph
-Equation looks like $y = mx + b$

4 Ways to Represent

Description		Equation													
Table	<table border="1"> <thead> <tr> <th>Games rented</th> <th>Cost (\$)</th> </tr> </thead> <tbody> <tr><td> </td><td> </td></tr> <tr><td> </td><td> </td></tr> <tr><td> </td><td> </td></tr> <tr><td> </td><td> </td></tr> </tbody> </table>	Games rented	Cost (\$)									Graph			
Games rented	Cost (\$)														
Description	You work at a store selling shoes. You get 10% commission on all your sales.	Equation													
Table	<table border="1"> <thead> <tr> <th>Sales (\$)</th> <th>Earnings (\$)</th> </tr> </thead> <tbody> <tr><td> </td><td> </td></tr> <tr><td> </td><td> </td></tr> <tr><td> </td><td> </td></tr> <tr><td> </td><td> </td></tr> <tr><td> </td><td> </td></tr> </tbody> </table>	Sales (\$)	Earnings (\$)											Graph	
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