MBF 3C1

Name: _____

UNIT 3 SURVIVAL GUIDE: Exponential Relations

EXPONENT LAWS			CHARACTERISTICS OF EXPONENTIAL RELATIONS	
Multiplication Law	like bases being multiplied, exponents	$(3^2)(3^4) =$	 an exponential equation is in the form, where a = b = 	
Division Law	like bases being divided, exponents	$3^6 \div 3^2 =$	 the table of values of an exponential relation has a which can be determined by dividing consecutive y-values (y₂ ÷ y₁, y₃ ÷ y₂, y₄ ÷ y₃, etc.) 	
Power of a Power Law	power raised to an exponent, exponents	$(3^2)^5 =$	x y CR	
Zero Law	anything raised to the exponent zero equals	3 [°] =	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	
Negative Exponent Law	flip the base to it's and change the exponent to it's	$(3^2)(3^{-4}) =$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	
Power of a Product/Quotient \rightarrow distribute the exponent to each base $(3x^2)^3 = (x^2/3)^3 =$			 the graph of an exponential relation is nearly at one end and either increases/decreases at the other 	
 EXPONENTIAL RELATIONSHIPS exponential growth occurs when the relationship is (up to right) and b represents the 			Solving Problems with Exponential Relations 1. start with the generalization for exponential relations () 2. sub in the (a)	
> x			 3. sub in the (b) ★ for <i>double</i> use, for <i>half-life</i> use, for <i>triple</i> use, etc ★ for % growth rate, 	
 exponential decay occurs when the relationship is (down to right) and b represents the 			 ★ for % decay rate, <i>Example:</i> A principal of \$100 is invested at 12% per year, compounded annually. a. Write an exponential equation to represent the relationship. y = ab^x y = b. What will the investment be worth in 25 years? 	
 exponential relations do not have <i>x</i>-intercepts because exponential relations will to find the <i>y</i>-intercept, let and solve for <i>y</i> 				