

# Geometric Shapes

Where can geometry be seen in everyday life?

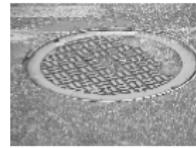
- nature
- products
- sports

- architecture
- art
- fashion

What careers depend on geometry?

- architecture
- construction
- manufacturing
- graphic design

- engineering
- animation
- carpentry



Why are certain geometric shapes important in the real world?

- structure
- appearance
- function

## Example 1

- a. Why are roofs triangular?  
so that the weight of snow would not cause the roof to cave in.
- b. Why are manhole covers circular?  
so they don't fall into the hole
- c. Why are tires round?  
for a smoother ride
- d. Why are cereal boxes rectangular?  
the smallest amount of packaging to fit the largest amount of product + easier to store/ship

## MBF 3C1

### METRIC & IMPERIAL MEASUREMENT

	Metric	Imperial
Length	millimetre (mm)	
	centimetre (cm)	inch (in.)
	kilometre (km)	mile (mi)
Mass (Metric)/ Weight (Imperial)	gram (g)	ounce (oz)
	kilogram (kg)	pound (lb)
	tonne (t)	ton (tn)
Liquid Volume	millilitre (mL)	fluid ounce (fl oz)
		pint (pt)
		quart (qt)
Temperature	litre (L)	gallon (gal)
	degree Celsius ( $^{\circ}\text{C}$ )	degree Fahrenheit ( $^{\circ}\text{F}$ )

Name: \_\_\_\_\_

Length	Mass	Volume
30.48 cm = 1 foot	28.35 g = 1 ounce	15 mL = 1 tbsp
2.54 cm = 1 inch	0.454 kg = 1 pound	29.574 mL = 1 fluid ounce
1.6 km = 1 mile	0.907 t = 1 ton (US)	0.473 L = 1 pint
	454 g = 1 pound	3.785 L = 1 gallon
		1L = 4 cups
<i>can use tick marks</i>		
10 mm = 1 cm	1000 g = 1 kg	1000 mL = 1 L
100 cm = 1 m	1000 kg = 1 t	
1000 m = 1 km		
	<i>not same</i>	
12 in = 1 ft	16 oz = 1 lb	16 tbsp = 1 cup
3 ft = 1 yard	2000 lb = 1 ton	16 fl oz = 1 pint
1760 yd = 1 mile		2 pints = 1 quart
		8 pints = 1 gallon

- Each statement above ie.  $100\text{cm} = 1\text{m}$  can be written as ratios that are equivalent to one

$$\frac{100\text{cm}}{1\text{m}}$$

OR

$$\frac{1\text{m}}{100\text{cm}}$$

- How do you decide which ratio to multiply by?

Look at placement of units, ensure that they would cancel properly.

#### Example 1

Show the cancellations of the following speed conversion of cm/min into km/hr, find the final answer.

$$\frac{187500 \text{ cm}}{\text{min}} \times \frac{1 \text{ m}}{100 \text{ cm}} \times \frac{1 \text{ km}}{1000 \text{ m}} \times \frac{60 \text{ min}}{1 \text{ hr}} = \frac{11250000 \text{ km}}{100000 \text{ hr}} = 112.5 \text{ km/hr}$$

Steps:

- Record what's given with units
- Decide on how to place a ratio so that units cancel
- Multiply top with top and bottom with bottom
- Simplify final answer and record the result with units.

#### Example 2

- If a wall is measured to have an area of  $891\ 878 \text{ cm}^2$  long, what is the measurement in  $\text{ft}^2$ ?

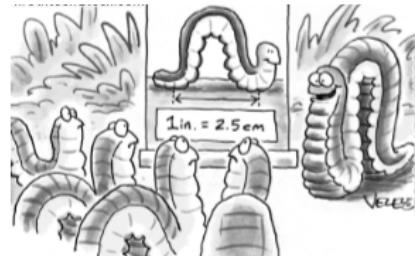
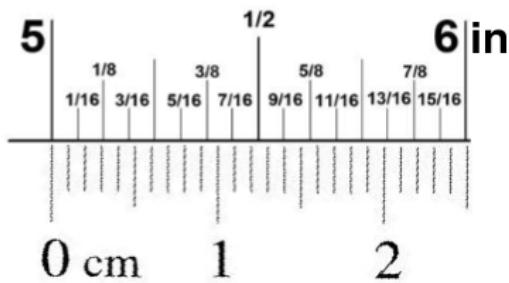
$$\frac{891878 \text{ cm}^2}{1} \times \frac{1 \text{ ft}}{30.48 \text{ cm}} \times \frac{1 \text{ ft}}{30.48 \text{ cm}} = 96 \text{ ft}^2$$

- You have a  $\frac{5}{16}$  inch drill bit, how large a hole will it make in mm?

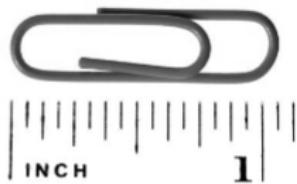
$$\frac{5}{16} \text{ in} \times \frac{2.54 \text{ cm}}{1 \text{ in}} \times \frac{10 \text{ mm}}{1 \text{ cm}} = \frac{12.7}{16} \text{ mm} = 0.79 \text{ mm}$$

**MBF 3C1**

Name: \_\_\_\_\_



"I know we're inchworms, but let's get into the spirit of this! Change is good!"

**Example 3**


How long is the paper clip?

$$1 \frac{1}{16} \text{ in} \quad \text{or} \quad \frac{17}{16} \text{ in}$$

Convert the measurement of the paper clip to centimetres.

$$\frac{17}{16} \text{ in} \times \frac{2.54 \text{ cm}}{1 \text{ in}} = \frac{43.18}{16} \text{ cm} = 2.7 \text{ cm}$$

**Example 4**

Ilya was watching an American news broadcast. It spoke of gas prices being \$13.25/gal, what was the price per Litre?

in denominator!

$$\frac{\cancel{\$13.25}}{\cancel{\text{gal}}} \times \frac{1 \text{ gal}}{3.785 \text{ L}}$$

$$= \$3.50/\text{L}$$