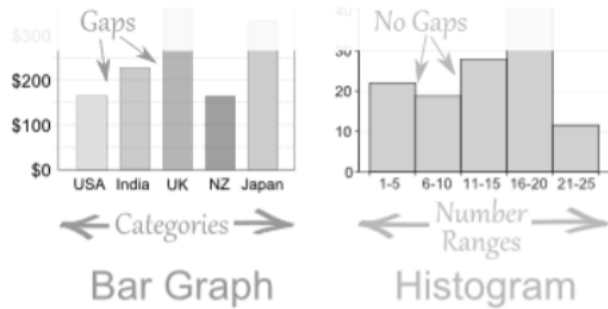


# Displaying One-variable Data

A **bar graph** uses bars to display discrete data which has been organized into classes. The bars have spaces between them since the data is discrete.

A **histogram** uses bars to display continuous data which has been organized into intervals. The bars in a histogram touch since the data is continuous.

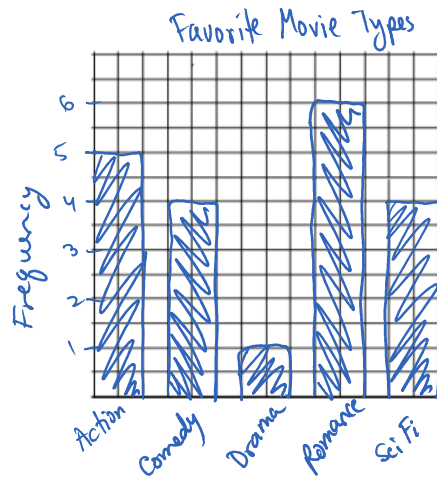


### Example 1

Use the frequency table from Example 2 (about movies) from DAY 2 lesson to construct a bar graph.

Process:

1. organize data into frequency table with classes if necessary
2. draw and label axes
  - \* labels go under bars
3. plot bars
  - \* bars must have spaces between them
4. add a title

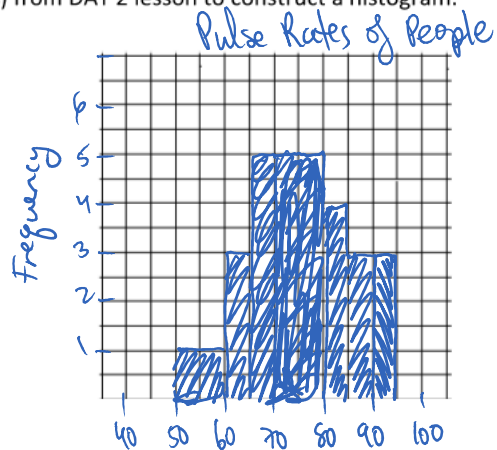


### Example 2

Use the frequency table from Example 3 (about pulses) from DAY 2 lesson to construct a histogram.

Process:

1. organize data into frequency table with class intervals if necessary
2. draw and label axes
  - \* labels go between bars
3. plot bars
  - \* bars cannot have spaces between them
4. add a title



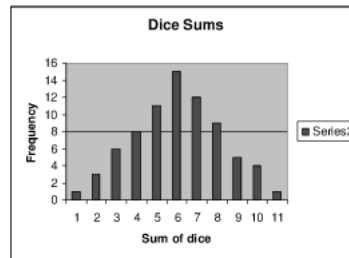
Bar graphs and histograms can take on any of several common shapes. Among these distributions are both **SYMMETRICAL** and **SKEWED** graphs.

**SYMMETRICAL DISTRIBUTIONS** can be:

1. Normal Distributions
  - commonly referred to as bell curves or mound-shaped distributions
  - the middle interval(s) will have the greatest frequency (i.e. the tallest bar)
  - all other intervals will have decreasing frequencies as you move away from the centre of the graph (i.e. the bars get smaller as you move out to the edges)

Example: A pair of dice were rolled 75 times. After each roll, their sum was recorded and graphed.

Sum on dice	Frequency
2	1
3	3
4	6
5	8
6	11
7	15
8	12
9	9
10	5
11	4
12	1

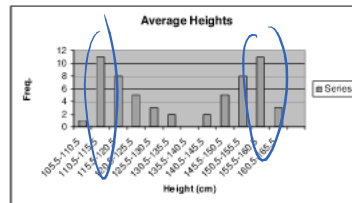


Note: Even though it isn't perfectly symmetrical, it still fits the definition of a normal distribution.

2. Bimodal Distributions
  - these look like inverted normal distributions
  - the intervals with the highest frequencies (i.e. tallest bars) are at either end of the graph and the interval with the lowest frequency is in the centre
  - frequencies increase as you move away from the centre of the graph.

Example: Grade 6 and grade 1 students each measured, recorded and graphed their heights.

Height (cm)	Freq.
105.5-110.5	1
110.5-115.5	11
115.5-120.5	8
120.5-125.5	5
125.5-130.5	3
130.5-135.5	2
135.5-140.5	0
140.5-145.5	2
145.5-150.5	5
150.5-155.5	8
155.5-160.5	11



2 modes

MBF 3C1

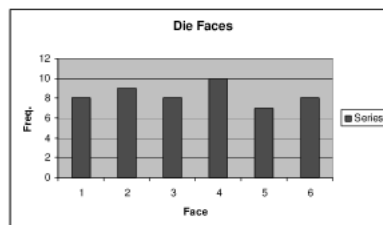
Name: \_\_\_\_\_

3. Uniform Distributions

- the frequencies of each interval are approximately equal

Example: A die is rolled 50 times. The face is recorded and graphed.

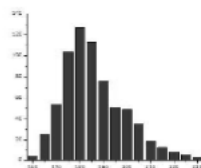
Die Face	Frequency
1	8
2	9
3	8
4	10
5	7
6	8



**SKEWED DISTRIBUTIONS** can be:

1. Right-skewed Graphs

- the bars with the highest frequencies are on the left side and the frequencies decrease as you move right

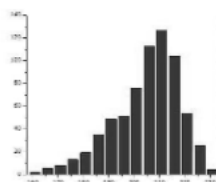


"Tail" in on the right

Note: Even though there is a low-frequency bar on the left side, the trend is still right-skewed.

2. Left-skewed Graphs

- the bars with the highest frequencies are on the right side and the frequencies decrease as you move left



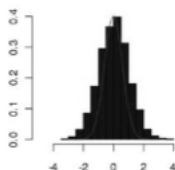
"Tail" is on the left.

Note: Even though there is a low-frequency bar on the right side, the trend is still left-skewed.

**Example 3**

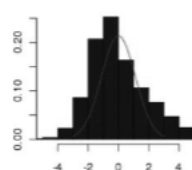
Describe the distribution for each graph.

a.



Normal (Bell)

b.



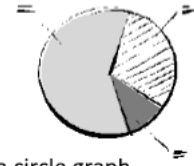
Right skewed.



**MBF 3C1**

Name: \_\_\_\_\_

A **circle graph** uses sectors of a circle to show how discrete data is divided.



**Example 4**

Use the frequency table from Example 2 (about movies) from DAY 2 to construct a circle graph.

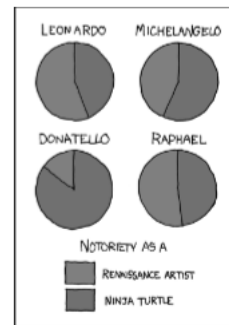
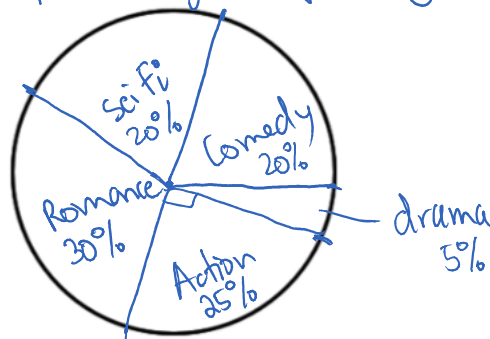
Process:

1. organize data into frequency table with classes if necessary
2. calculate the percent of each class  
\* leave as decimal for future calculations
3. use the percentages to determine how many degrees each class consists of
4. draw a circle and divide it according to the calculations using a protractor
5. either label each section or provide a legend
6. add a title

CLASS	FREQUENCY	PERCENT	DEGREES
action	5	$\frac{5}{20} = 0.25$	$0.25 \times 360^\circ = 90^\circ$
comedy	4	$\frac{4}{20} = 0.2$	$72^\circ$
drama	1	$\frac{1}{20} = 0.05$	$18^\circ$
romance	6	$\frac{6}{20} = 0.3$	$108^\circ$
sci fi	4	$\frac{4}{20} = 0.2$	$72^\circ$
<b>TOTAL</b>	<b>20</b>	<b>1.0</b>	<b>360°</b>



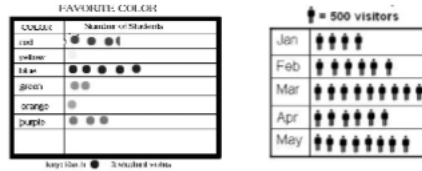
*Movie Type Popularity*



**MBF 3C1**

Name: \_\_\_\_\_

A **pictograph** uses images to display discrete data. Often 1 image represents more than 1 data piece. This type of graph is less accurate than other graphing styles.



**Example 5**

Use the frequency table from Example 2 (about movies) from DAY 2 to construct a pictograph.

Process:

1. organize data into frequency table with classes if necessary
2. draw and label axes
  - \* labels go under columns or beside rows of pictures
3. plot pictures
  - \* each picture represents a number of data pieces - this value must be stated
4. add a title

*Favourite Movies*

