

11

17 | Unit 5 10P Date: _____

Name: _____

DAY 6 - Application in Real Life

1.

The shape of one of the skateboard ramps to be built in the park can be modelled by the quadratic relation $d = 0.08l^2 - 0.8l$, where d represents the depth in metres and l represents the horizontal distance in metres.



a) Factor to find the zeros

$$d = (0.08l^2 - 0.8l)$$

$$= 0.08l(l - 10)$$

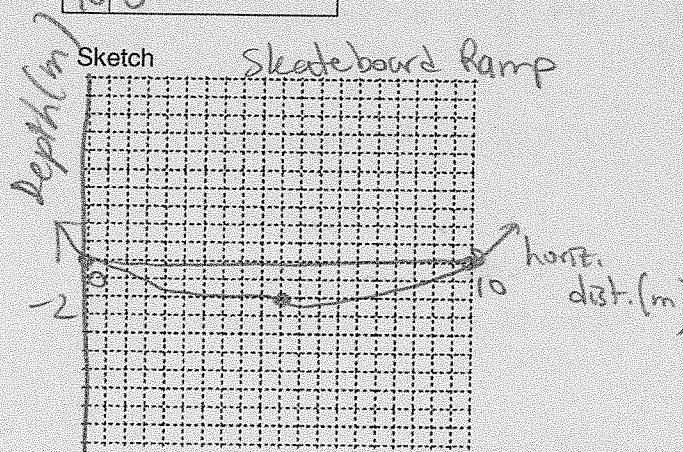
$$d = -0.08l(l - 10)$$

$$-0.08l = 0 \quad l = 0$$

$$l - 10 = 0 \quad l = 10$$

b) Fill in table using zeros and middle point

l	d
0	0
5	$0.08(5)^2 - 0.8(5) = 0.08(25) - 4 = -2$
10	0



c) Find the minimum value of this skateboard ramp.

-2 m

d) What is the horizontal distance to this minimum point?

5 m

e) How wide is the ramp?

10 m

2. Are the relations linear or quadratic or neither?

a) $y = x + 4$

linear

b) $y = 4x(x-1)$

 $4x^2 - 4x$ quad

c) $y = 2^{2+x}$

neither

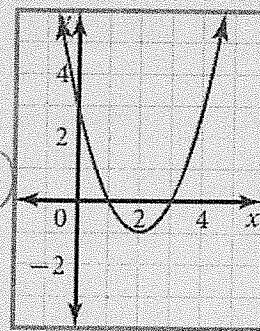
x	y
-3	15
-2	8
-1	1
0	-6
1	-13
2	-20

∴ Linear

x	y
-3	19
-2	17
-1	15
0	13
1	11
2	9

∴ Linear

3.



Max or Min ?

MIN

Optimal Value

 $y = -1$

Axis of symm

 $x = 2$

Vertex

 $(2, -1)$

Zeros/x-int

 $(1, 0) \quad (3, 0)$

Y-intercept

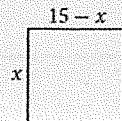
 $(0, 3)$

17

11

4.

Find the maximum area, in square metres, of a rectangle whose area can be represented by the relation $A = x(15 - x)$.



a) The equation is already factored, find zeros

$$\begin{aligned} x &= 0 \\ 15 - x &= 0 \end{aligned}$$

b) Fill in table using zeros and middle point

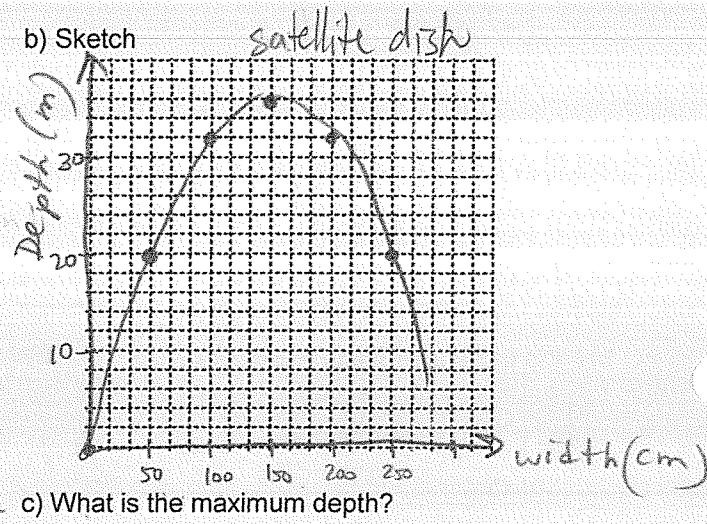
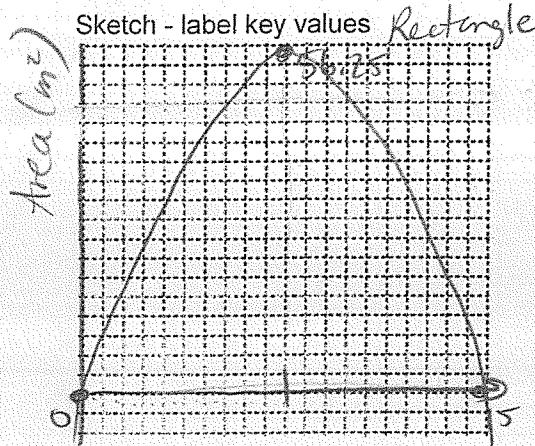
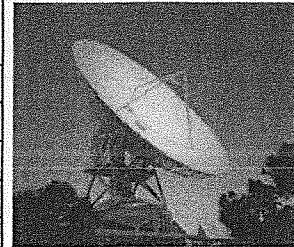
x	A
0	0
7.5	$7.5(15 - 7.5) = 7.5(7.5) = 56.25$
15	0

5.

A cross-section of a satellite dish can be modelled by the quadratic relation $d = -0.0016w(w - 300)$, where w represents the horizontal distance across the dish in centimetres and d represents the depth of the dish in centimetres.

a) Copy and complete the table.

w (cm)	d (cm)
0	$-0.0016(0)(0 - 300) = 0$
50	$-0.0016(50)(50 - 300) = 20$
100	$-0.0016(100)(100 - 300) = 32$
150	$-0.0016(150)(150 - 300) = 36$
200	$-0.0016(200)(200 - 300) = 32$
250	20



c) What is the maximum area?

56.25

d) What dimensions of the rectangle give this maximum area?

7.5 m (length)

d) Find the zeros from the equation.

(0,0) (300,0)

d) Use the zeros to find the width at the base.

300 cm

$$\begin{aligned}
 &c. \frac{(0.5x^2 + 5x + 12.5)}{0.5} & d. \frac{2(x^2 - 8)}{2} \\
 &= 0.5(x^2 + 10x + 25) & = 2(x^2 - 4) \\
 &\quad x \quad x & \quad 5 \quad 5 \\
 &= 0.5(x+5)(x+5) & = 2(x+2)(x-2)
 \end{aligned}$$

6. Factor.

a) $x^2 - 2x - 35$

$$\begin{array}{r}
 x \\
 \times \quad 35 \\
 \hline
 \quad 35 \\
 \quad 7 \quad 7 \\
 \hline
 (x+5)(x-7)
 \end{array}$$

b) $x^2 - 64$

$$(x+8)(x-8)$$